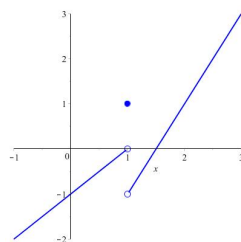


MATH1P97 - 2016/2017 - Assignment #1 - Solutions - Total Marks: 30

1. [1 point for completion]
2. [2 points] We need to find when both terms are opposite signs.  $2x - 2 \leq 0$  when  $x \leq 1$ , and  $3x + 6 \leq 0$  when  $x \leq -2$  [1 point]. Then both terms are opposite signs and satisfy the inequality in the interval  $[-2, 1]$  [1 point]. *Note: 1 point for graphical interpretation and 1 point for solution interval*
3. [2 points] Slope:  $m = \frac{6-2}{3-2} = 4$  [1 point]. Point-Slope formula:  $y = 4(x - 2) + 2 = 4x - 6$  [1 point].
4. [1 point for completion]
5. [1 point for completion]
6. [3 points] The numerator gives  $x \geq -2$  [1 point]. The factored denominator is  $2(x + 2)(x + 5)$ , then  $x \neq -2$  and  $x \neq -5$  [1 point]. Then the domain is  $(-2, \infty)$  [1 point].
7. [1 point] The domain of an odd-powered root is  $(-\infty, \infty)$ .
8. [4 points] Since  $f(x)$  is defined for all  $x$  and all  $y$ , both domain and range are  $(-\infty, \infty)$  [1 point]. Sketched graph [3 points] *Note: 1 point for each correct part of the graph*



9. [2 points]  $f \circ g = f(g(x)) = \frac{1}{(\sqrt{x^3})^2} = \frac{1}{x^3}$  [1 point]  $g \circ f = g(f(x)) = \sqrt{\left(\frac{1}{x^2}\right)^3} = \sqrt{\frac{1}{x^6}}$  [1 point].
10. [1 point]  $h(x) = g \circ f = g(f(x)) = 3x^2 - 2$ , then  $h(2) = 10$ .
11. [1 point for completion]
12. [4 points] *Note: 1 point for each correct line*

```

> restart;
> r:=3*t^3+1/3*t^2+20/3*t+3;
                                     r:=3t3+1/3t2+20/3t+3
> P:=-4/51*r^2+1/2*r+4;
                                     P:=-4/51(3t3+1/3t2+20/3t+3)2+3/2t3+1/6t2+10/3t+11/2
> expand(P);
                                     12/17t6+8/51t5+1444/459t4+2993/918t3+3497/918t2+110/17t+211/34
> subs(t=11,P);
                                     1217923937
                                     918
    
```

13. [1 point for completion]
14. [1 point for completion]
- 15(b). [1 point] \$4500
- 15(c). [1 point] The lowest value is \$2221.875 and occurs at  $x = \frac{135}{16} = 8.4375$  years.
- 15(d). [1 point] \$6500
- 15(e). [2 points] *Note: 1 point for graph, 1 point for left axis labels all the same 4 decimals*

