

GNG1106/GNG1506 C Reference

Data Types/Declarations

Character (1 byte)	char
Integer	int
Real (single precision)	float
Real (double precision)	double
Structure (user type)	struct
No value	void
Create user type	typedef <i>type</i> <i>typename</i>

Literals

Real – exponential form	ww.yy ezz ww.yy Ezz
Character literal	'a'
String literal	"abc...de"
Newline, cr, tab, backspace	'\n' '\r' '\t' '\b'
Special characters	'\\' '\?' '\ ' '\ '"'

Operators (grouped by precedence)

Parentheses: grouping	()
Brackets (array subscript)	[]
Structure member operator	<i>name</i> . <i>member</i>
Structure pointer member operator	<i>name</i> -> <i>member</i>
Minus, logical not, indirection, address	- ! * &
Cast	(<i>type</i>)
Determine size in bytes	sizeof
Multiply, divide, modulus (remainder)	* / %
Addition, subtraction	+ -
Comparisons inequality	> >= < <=
Comparisons equality	== !=
Logical AND	&&
Logical OR	
Assignment	=

Unary and assignment operators evaluated right-to-left, all others left-to-right

C Preprocessor

Include standard header file	#include <filename>
Replacement text (defines)	#define <i>name text</i>

Flow Control

Statement terminator	;
Instruction block delimiters	{ }
Return from function	return <i>expr</i>
<i>Flow Constructions</i>	
if instruction	if (<i>expr</i>) <i>instr_block</i> else if (<i>expr</i>) <i>instr_block</i> else <i>instr_block</i>
while instruction	while (<i>expr</i>) <i>instr_block</i>
for instruction	for (<i>expr1</i> ; <i>expr2</i> ; <i>expr3</i>) <i>instr_block</i>
do/while instruction	do <i>instr_block</i> while (<i>expr</i>);

Program Structure/Functions

Function prototype	<i>type fncName</i> (<i>type1</i> , <i>type2</i> , ...);
Function definition	<i>type fncName</i> (<i>type1</i> , <i>type2</i> , ...) { <i>Declarations</i> <i>Instructions</i> return <i>value</i> ; }
Comment block	/* <i>comments</i> */
Single line comment	//

Pointers, Arrays, Structure

Declare pointer variable to type	<i>type *name</i>
Define function returning address to type	<i>type *f</i> () { }
Null pointer	NULL
Variable referenced by <i>pointer</i>	* <i>pointer</i>
Address of variable (simple and structure)	& <i>name</i>
Array declaration	<i>type name</i> [<i>dim</i>];
2D array declaration	<i>type name</i> [<i>rdim1</i>] [<i>cdim2</i>];
Structure type definition	typedef struct { <i>Member declarations</i> } <i>TYPE</i> ;
Member of structure variable	<i>name</i> . <i>member</i>
Member of referenced structure variable	<i>pointer</i> -> <i>member</i>

Character Standard Library

	<ctype.h>
Is char alphanumeric	isalnum(c)
Is char alphabetic	isalpha(c)
Is char control character	isctrl(c)
Is char decimal digit	isdigit(c)
Is char printing char (incl space)	isprint(c)
Is char printing char (not incl space)	isgraph(c)
Is char printing char except space, letter, digit	ispunct(c)
Is char white space (space, formfeed, newline, cr, tab, vtab)	isspace(c)
Is char upper case	isupper(c)
Is char lower case	islower(c)
Convert to lower case	tolower(c)
Convert to upper case	toupper(c)

String Standard Library

	<string.h>
Length of string s	strlen(s)
Copy srcS to dstS	strcpy(dstS, srcS)
Concatenate srcS to dstS	strcat(dstS, srcS)
Compare srcS to dstS	strcmp(dstS, srcS)
Copy srcS to dstS	strcpy(dstS, srcS)
Address of first c in s	strchr(s, c)

Standard Utility Library

	<stdlib.h>
Pseudo-random integer, 0 to RAND_MAX	rand()
Set random seed to n	srand(n)
Convert string s to double	atof(s)
Convert string s to integer	atoi(s)

Math Standard Library	<math.h>
Trig functions	sin(x) cos(x) tan(x)
Inverse trig functions	asin(x) acos(x) atan(x)
Hyperbolic Trig func.	sinh(x) cosh(x) tanh(x)
Exponential, natural log	exp(x) log(x)
Log base 10	log10(x)
Power x^y , Square root \sqrt{x}	pow(x, y) sqrt(x)
Absolute value	fabs(x)
Rounding	ceil(x) floor(x)

Standard Input/Output Library <stdio.h>

Standard I/O

Standard input stream	stdin
Standard output stream	stdout
End of file	EOF
Read a character	getcahr()
Print a character	putchar(c)
Print formatted data	printf("format", arg1, ...)
Print to string	sprintf(s, "format", arg1, ...)
Read formatted data	scanf("format", &name1, ...)
Read from string	sscanf(s, "format", &name1, ...)

File I/O

Declare file pointer	FILE *fp
Open file (returns FILE *)	fopen("name", "mode")
Modes: r (read) w (write) a (append)	
rw (read binary) wb (write binary)	
Read a character	getf(fp)
Write a character	putc(c, fp)
Write formatted string	putc(c, fp)
Print to file	fprintf(fp, "format", arg1, ...)
Read from file	fscanf(fp, "format", &name1, ...)
Close file	fclose(fp)
At end of file?	feof(fp)
Read line to string s (<max chars)	fgets(s, max, fp)
Read line to string s (<max chars)	fgets(s, max, fp)

Binary File I/O

Write to file	fwrite(adr, size, num, fp)
Read from file	fread(adr, size, num, fp)

Conversion codes for formatted I/O: %+- 0w.pmc

- left justify
- + print with sign
- 0 pad with leading zeros
- w minimum filed width
- p precision (num of digits in fraction)
- m conversion character
 - (h short, l long, L long double)
- c conversion character
 - d,i integer
 - c single chararter
 - f double (lf required in scanf)
 - s char string
 - e, E exponential
 - g, G same as f or e,E depending on exponent

Integer Type Limits <limits.h>

Numbers given in parentheses are typical values for the constants.

Number bits in char	CHAR_BIT	(8)
Min value of char	CHAR_MIN	(-128)
Max value of char	CHAR_MAX	(128)
Min value of int	INT_MIN	(-2147483648)
Max value of int	INT_MAX	(+2147483647)

Real Value Type Limits <float.h>

Numbers given in parentheses are typical values for the constants.

For type float

Decimal digits of precision	FLT_DIG	(6)
Smallest x so $1.0 + x \neq 1.0$	FLT_EPSILON	(10^{-5})
Maximum value	FLT_MAX	(10^{37})
Maximum exponent	FLT_MAX_10_EXP	
Minimum value	FLT_MIN	(10^{-37})
Minimum exponent	FLT_MIN_10_EXP	

For type double

Decimal digits of precision	DBL_DIG	(10)
Smallest x so $1.0 + x \neq 1.0$	DBL_EPSILON	(10^{-9})
Maximum value for double	DBL_MAX	(10^{307})
Maximum exponent	DBL_MAX_10_EXP	
Minimum value for double	DBL_MIN	(10^{-307})
Minimum exponent	DBL_MIN_10_EXP	

GNG1106 – Creating Plots using the PLplot Library

Create a CodeBlocks project using the wizard C Console App/PLplot.
 Include the header file `#include <gng1106plplot.h>` in your program.

HOW TO CREATE A PLOT?

Function parameters	
PLINT	Type integer
PLFLT	Type double
char *	Character string

	Objective	Function	Format
1	Initialise the plot	plinit	<code>plinit();</code>
2	Define the range and scale of the plot drawing axes, etc.	plenv	<code>plenv(PLFLT xmin, PLFLT xmax, PLFLT ymin, PLFLT ymax, PLINT just, PLINT axis);</code> <u>xmin</u> : Sets the left limit of the horizontal scale <u>xmax</u> : Sets the right limit of the horizontal scale. <u>ymin</u> : Sets the lower limit of the vertical scale <u>ymax</u> : Sets the upper limit of the vertical scale. <u>just</u> : Use zero to have each axis is scaled independently. <u>axis</u> : Select -2, -1, 0, 1, 2, 10, 11, 20, 21 or 30: -2: No box or annotation. -1: Draw box only. 0: Draw box, labelled with coordinate values around edge. 1: In addition to box and labels, draw the two axes $X = 0$ and $Y = 0$. 2: Same as <i>axis</i> = 1, but also draw a grid at the major tick interval. 10: Logarithmic X axis, linear Y axis. 11: Logarithmic X axis, linear Y axis and draw line $Y = 0$. 20: Linear X axis, logarithmic Y axis. 21: Linear X axis, logarithmic Y axis and draw line $X = 0$. 30: Logarithmic X and Y axes.
	Add labels to axes and title to the plot.	pllab	<code>pllab(char *titleXaxis, char * titleYaxis, char *titlePlot);</code> e.g. : <code>pllab(“string1”, “string2”, “string3”);</code> <u>titleXaxis/string1</u> : label for horizontal axis <u>titleYaxis/string 2</u> : label for vertical axis <u>titlePlot/string3</u> : Graph title
3	Trace the curves	plline	<code>plline(PLINT n, PLFLT *x, PLFLT *y);</code> <u>n</u> : number of points in the arrays <u>x</u> : pointer to array of x coordinates <u>y</u> : pointer to array of y coordinates
4	Close the plot (returns when plot is closed)	plend	<code>plend();</code>

HOW TO CHANGE COLORS?

Objective	Function	Format
Select color of pen for labels or color of curves.	plcol0	plcol0(PLINT icol) icol : color index (des <u>Table of colors 0</u>)

Table of colors

WHITE	0	BROWN	8
BLACK	1	BLUE	9
YELLOW	2	BLUEVIOLET	10
GREEN	3	CYAN	11
AQUAMARINE	4	TURQUOISE	12
PINK	5	MAGENTA	13
WHEAT	6	SALMON	14
GREY	7	RED	15

Symbolic constants provided in the Table of colors can be used as arguments in the functions for colors. The function `plcol0` must be call before the functions `pllab` and `plline` to modify the pen color for printing labels and tracing curves.

HOW TO CHANGE PEN THICKNESS?

Objective	Function	Format
Sets the thickness of the pen.	plwidth	plwidth (PLINT thickness) thickness: thickness (minimum value is 0)

HOW TO CHANGE LINE STYLE?

Objective	Function	Format
Sets the line style	pllsty	pllsty (PLINT style) style : See the <u>Table for style values</u>

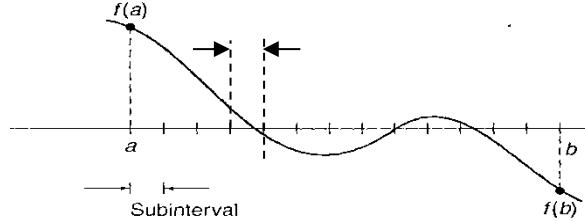
Table for style values

SOLID	1	Continuous line
SHRTDASH_SHRTGAP	2	Short dashes and gaps
LNGDASH_LNGGAP	3	Long dashes and gaps
LNGDASH_SHRTGAP	4	Long dashes with short gaps
LNGDASH_SHRTDASH	5	Long dash – short dash

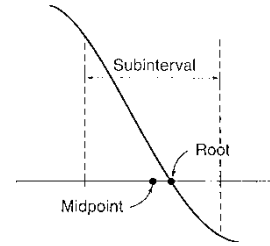
Numerical Methods

Root Finding – Incremental Search

- We delimit a search interval $a \leq x \leq b$ where we suspect the existence of a real root (use graphing to find such intervals).
- The interval $a \leq x \leq b$ is divided into a number of equal subintervals.



- Each subinterval is verified for a change in sign in $f(x)$.
 - For example, over subinterval k , we have $f(a_k)$ which is positive and $f(b_k)$ which is negative; a root is thus present for x in the range $a_k \leq x \leq b_k$.
- We can now simply approximate this root by the value of x located at the midpoint of the subinterval.
 - This approximation becomes more accurate as the size of the subinterval decreases.



Root Finding – Bisection Method

- Step 1: Choose the search interval: x_L lower edge (left) and x_U upper edge (right) such that the function changes sign over the interval. This can be checked by ensuring that $f(x_L)f(x_U) < 0$.
- Step 2: An estimate of the root x_R is determined by $x_R = (x_L + x_U)/2$.
- Step 3: Make the following evaluations to determine in which subinterval the root lies:
 - (a) If $f(x_L)f(x_R) < 0$, the root lies in the lower subinterval. Therefore, set $x_U = x_R$ and return to step 2.
 - (b) If $f(x_L)f(x_R) > 0$, the root lies in the upper subinterval. Therefore, set $x_L = x_R$ and return to step 2.
 - (c) If $|f(x_L)f(x_R)| <$ some small tolerance value (that is, can be considered equal to 0), the root equals x_R ; terminate the computation.

Euler's Method

For the equation $\frac{dx}{dt} = f(x)$, the difference equation is:

$$x_{i+1} = x_i + f(x_i)\Delta t$$

where

time is defined as: $t_{i+1} = t_i + \Delta t$ and Δt is the time step.

And x_0 and t_0 are given, that is, are the initial conditions.

Trapezoidal Rule

Numerical equation for the definite integral is given by: $\int_a^b f(x)dx = \frac{h}{2} \left[f(x_0) + \left[2 \sum_{i=1}^{n-1} f(x_i) \right] + f(x_n) \right]$

Where

n is the number of steps that divides the x interval $a \leq x \leq b$

h is the step width = $(b-a)/n = x_i - x_{i-1}$

$x_0 = a$ and $x_n = b$

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