

**Civil Engineering****CVG 4173****Construction Management****Due on: 22/11/2012****SOLUTION****Assignment # 3****Question 1:**

A small hydraulic excavator will be used to dig a trench in hard clay (bucket fill factor = 0.80). The minimum trench size is 26 in. (0.66m) wide by 5 ft (1.53m) deep. The excavator bucket available is 30 in. (0.76m) wide and has a heaped capacity of  $\frac{3}{4}$  yd<sup>3</sup> (0.57 m<sup>3</sup>). The maximum digging depth of the excavator is 16 ft (4.9m). The average swing angle is expected to be 85°. Estimate the hourly trench production in linear feet (meters) if job efficiency is 70%.

**Solution:**

$$\text{Actual volume/ft of trench} = \frac{30}{12} \times 5 \times \frac{1}{27} = 0.46 \text{ BC}$$

$$\text{Load factor} = 0.77 \quad (\text{From table})$$

$$\text{Standard cycles/h} = 160 \quad (\text{From table})$$

$$\% \text{ maximum depth} = \frac{5.0}{16.0} \times 100 = 31 \%$$

$$\text{Swing-depth factor} = 1.16 \quad (\text{From table})$$

(85° swing, 31% maximum depth)

$$\text{Heaped bucket volume} = 0.75 \text{ LCY (0.57 LCM)}$$

$$\text{Bucket fill factor (average)} = 0.80 \quad (\text{From table})$$

$$\text{Job efficiency} = 0.70$$

$$\text{Trench adjustment factor} = 0.98 \quad (\text{From table})$$

$$\text{Production (loose)} = C \times S \times V \times B \times E$$

$$= 160 \times 1.16 \times 0.75 \times 0.80 \times 0.70 \times 0.98 = 76 \text{ LCY/h}$$

$$\text{Trench production} = \frac{59}{0.46} = 128 \text{ ft/h}$$

**Question 2:**

Estimate the time required to load 500 yd<sup>3</sup> (382m<sup>3</sup>) of gravel from a stockpile into trucks using a clamshell having a heaped capacity of 0.75 yd<sup>3</sup> (0.57m<sup>3</sup>). Estimated cycle time is 20 s. Job efficiency is estimated to be 50 min/hr.

**Solution:**

Bucket fill factor (average) = 0.95 (From table)

Bucket load = 0.75 x 0.95 = 0.71 LCY

Job efficiency = 50 / 60 = 0.833

Production = volume/cycle x cycles/h (include efficiency)

$$= 0.71 \times \frac{3600}{20} \times 0.833 = 106 \text{ LCY/h}$$

$$\text{Time required} = \frac{500}{106} = 4.7 \text{ h}$$

**Question 3:**

A 4 yd<sup>3</sup> (3.06m<sup>3</sup>) (heaped) hydraulic shovel with a bottom-dump bucket is excavating tough clay. The swing angle is 150° and job efficiency is 50 min/hr. Estimate the shovel's hourly production in bank measure.

**Solution:**

Standard cycles/h = 150 (From table)

Swing factor (150° swing) = 0.89 (From table)

Heaped bucket volume = 4.0 LCY

Bucket fill factor (average) = 0.80 (From table)

Job efficiency = 50 / 60 = 0.833

Load factor = 0.77 (From table)

$$\begin{aligned} \text{Production (loose)} &= C \times S \times V \times B \times E \\ &= 150 \times 0.89 \times 4.0 \times 0.80 \times 0.833 = 356 \text{ LCY/h} \\ &= 356 \times 0.77 = 274 \text{ BCY/h} \end{aligned}$$

**Question 4:**

A tractor-scraper has a rated payload of 4,000 ft (1,220m) up a 5% grade from the cut to the fill and returns empty over the same route. The rolling resistance factor for the haul road is 120 lb/ton (60kg/t). Estimate the scraper travel time.

**Solution:**

Effective grade haul = 12%

Effective grade return = 4%

Maximum speed haul = 6.8 mph (From graph)

(12% effective grade, rated load)

Maximum speed return = 31 mph

(4% effective grade, empty)

Average speed factor haul =  $0.86 \times 0.86 = 0.74$  (From table)

$$\text{Haul time} = \frac{2000}{6.8 \times 0.74 \times 88} = 4.5 \text{ min}$$

$$\text{Return time} = \frac{2000}{31 \times 0.74 \times 88} = 1.0 \text{ min}$$

$$\text{Travel time} = 4.5 + 1.0 = 5.5 \text{ min}$$

**Question 5:**

A power-shift crawler tractor is excavating tough clay and pushing it a distance of 95 ft (29m). Maximum reverse speeds are as follows: first range, 3 mi/h (4.8km/h); second range, 5 mi/h (8.0km/h); and third range, 8 mi/h (12.9km/h). Rated blade capacity is 10 LCY (7.65 LCM). Estimate the dozer production if the job efficiency factor is 0.83.

**Solution:**

Blade load = 10 LCY

Fixed cycle time = 0.15 min (From table)

$$\text{Haul time} = \frac{95}{1.5 \times 88} = 0.72 \text{ min}$$

$$\text{Return time} = \frac{95}{5 \times 88} = 0.22 \text{ min}$$

$$\text{Cycle time} = 0.15 + 0.72 + 0.22 = 1.09 \text{ min}$$

$$\text{Production} = 10 \times \frac{60}{1.09} \times 0.83 = 457 \text{ LCY/h}$$