



uOttawa

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SCHOOL OF INFORMATION TECHNOLOGY AND ENGINEERING

COURSE: CEG3180  
SEMESTER: Winter 2008

PROFESSOR: Jiyong Zhao  
DATE: February 16, 2008  
TIME: 14:00 to 16:00

**MIDTERM  
EXAMINATION**

NAME and STUDENT NUMBER: \_\_\_\_\_ / \_\_\_\_\_

**Mid-Term Exam**

1. There are three (3) types of questions in this examination.

<b>Part 1</b>	<b>Multiple choice</b>	<b>24 marks</b>	
<b>Part 2</b>	<b>Short answer</b>	<b>42 marks</b>	
<b>Part 3</b>	<b>Long answers</b>	<b>19 marks</b>	
<b>Total</b>		<b>85 marks</b>	

2. Answer briefly and to the point. The space allocated for each question is limited. In case of necessity you may use the other side of the pages to continue.
3. Initial all the pages.



9. If the frequency spectrum of a signal has bandwidth of 500 Hz with the lowest frequency at 600 Hz, what should be the sampling rate according to the Nyquist theorem?
- a) >600 samples/second      b) >1000 samples/second  
 c) >1200 samples/second      d) >2200 samples/second
10. What layer of the OSI model is concerned with the mechanical dimension of interfaces and electrical voltage levels?
- a) Physical      b) Data link  
 c) Network      d) Transport
11. Hamming distance. For  $k=2$  and  $n=5$ , we can make the following assignment:

Data block	Codeword
00	00000
01	00111
10	11001
11	11110

Now, suppose that a codeword block is received with the bit pattern 11100. What was most likely the codeword that was sent?

- a) 00000      b) 00111  
 c) 11001      d) 11110
12. The inner core of an optical fibre is \_\_\_\_\_ in composition.
- a) Glass or plastic      b) Copper  
 c) Hollow      d) Liquid

## Part 2 - Short-answer questions

- 13 [6 marks] In CRC, the data unit is 111111 and the divisor 1010. Calculate the CRC code (remainder).

$$\begin{array}{r}
 110011 \\
 1010 \overline{) 111111000} \\
 \underline{1010} \phantom{000} \\
 1011 \phantom{000} \\
 \underline{1010} \phantom{000} \\
 0011000 \\
 \underline{1010} \phantom{000} \\
 1100 \phantom{000} \\
 \underline{1010} \phantom{000} \\
 110
 \end{array}$$

$$\text{CRC} = 110$$

- 14 [6 marks] Suppose that the spectrum of a channel is between 3 MHz and 4 MHz, and  $\text{SNR}_{\text{dB}} = 24$  dB. What is the capacity of the channel?

$$B = 1 \text{ MHz}$$

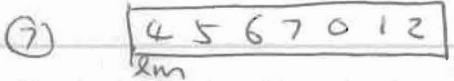
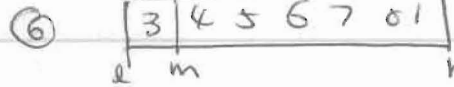
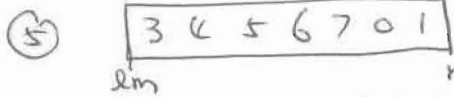
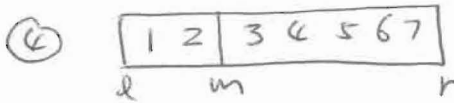
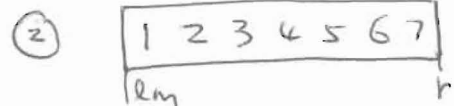
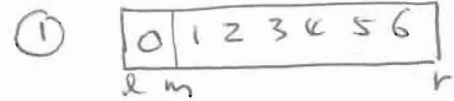
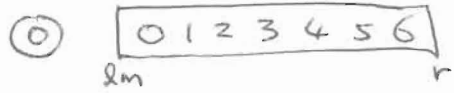
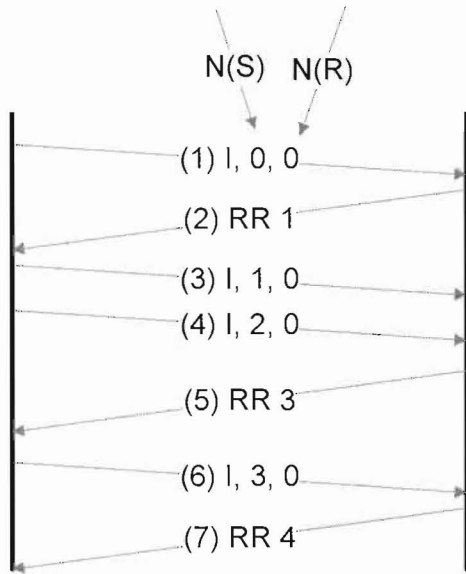
$$\text{SNR}_{\text{dB}} = 10 \log_{10} \text{SNR}$$

$$24 = 10 \log_{10} \text{SNR}$$

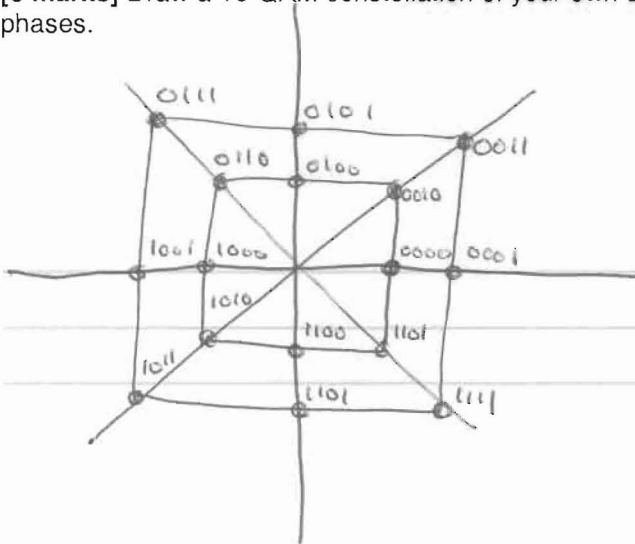
$$\text{SNR} = 10^{2.4} = 251$$

$$C = B \log_2 (1 + \text{SNR}) = 1 \cdot \log_2 (1 + 251) = 7.98 \text{ MHz}$$

15 [6 marks] HDLC is used. Both the N(S) and N(R) are 3 bits. The sliding window size is 7. Before sending from "1,0,0", the frames in the sliding window are 0, 1, 2, 3, 4, 5, 6. Draw the sender-side's sliding window after steps (1), (2), (4), (5), (6), and (7), by clearly identifying left wall, middle wall, and right wall of the sliding window.



16 [6 marks] Draw a 16-QAM constellation of your own choice. Use four amplitudes and eight different phases.



17 [6 marks] We use a sampling rate of 22 KHz to digitize a mono audio stream, whose dynamic range is from -5V to +5V. Each sample is coded with 8 bits. At one particular sample point, the voltage of the audio signal is 3V. What will be the PCM (pulse code modulation) code for this sample point?

8 bits  $\rightarrow$  0 ~ 255

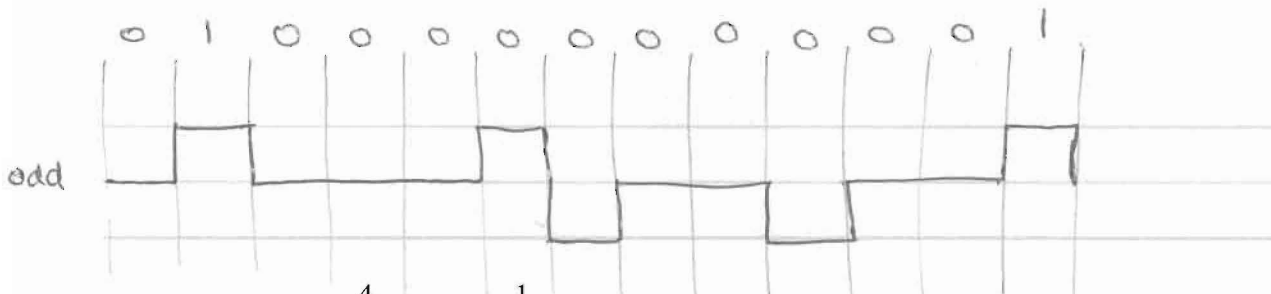
$$\frac{3+5}{5-(-5V)} \times 255 = 204$$

$2 \overline{) 204}$	0	$2 \overline{) 77}$	
$2 \overline{) 102}$	0	$2 \overline{) 38}$	1
$2 \overline{) 51}$	0	$2 \overline{) 19}$	0
$2 \overline{) 25}$	1	$2 \overline{) 9}$	1
$2 \overline{) 12}$	1	$2 \overline{) 4}$	1
$2 \overline{) 6}$	0	$2 \overline{) 2}$	0
$2 \overline{) 3}$	0	$2 \overline{) 1}$	0
$2 \overline{) 1}$	1		1
0 1		0	1

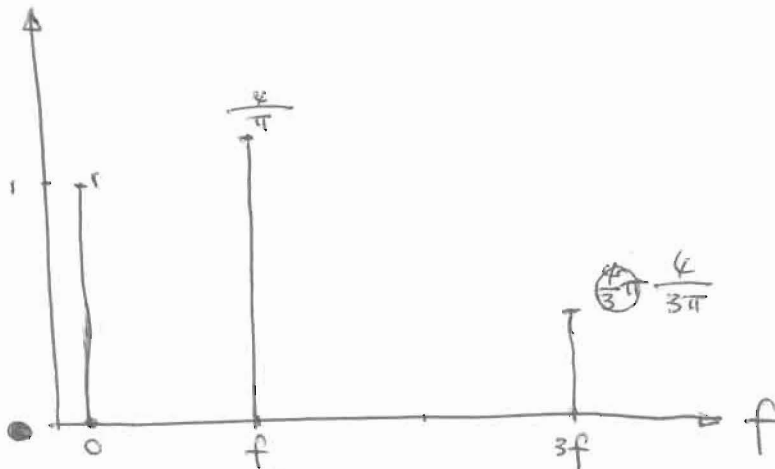
~~01001101~~  
11001100

18 [6 marks] Draw the HDB3 (refer to the following rules) encoding that represents 010000000001 (make you own assumptions).

Polarity of preceding pulse	Number of bipolar pulses (ones) since last substitution	
	Odd	Even
-	000-	+00+
+	000+	-00-



19 [6 marks]  $s(t) = 1 + \frac{4}{\pi} [\sin 2\pi ft + \frac{1}{3} \sin 2\pi(3f)t]$ . Please roughly draw the frequency domain representation of  $s(t)$ .

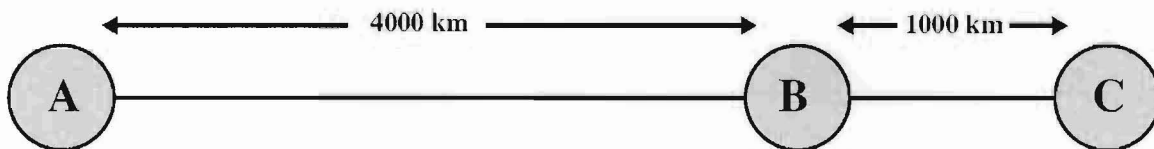


### Part 3 - Long-answer questions

20 [19 marks] In the following figure, frames are generated at node C and sent to node A through node B. Determine the minimum data rate required between nodes B and A so that the buffers of node B are not flooded, based on the following:

- The data rate between C and B is 150 kbps.
- The propagation delay is  $5\mu\text{s}/\text{km}$  for both lines.
- There are full duplex lines between the nodes.
- All data frames are 1000 bits long: ACK frames are separate frames with negligible length.
- Between B and A, a sliding window protocol with a window size of 3 is used.
- Between C and B, stop-and-wait is used.
- There are no errors.

Hint: In order not to flood the buffers of B, the average number of frames entering and leaving B must be the same over a long interval. In other words, the effective data rate between B and A should be the same as the effective data rate between C and B.



Note:

$$a = \frac{t_{prop}}{t_{frame}}$$

For stop-and-wait flow control, the maximum possible utilization of the link can be calculated as

$$U = \frac{1}{1 + 2a}$$

For error-free sliding-window flow control with a window size of  $W$ , the maximum possible utilization

of the link can be calculated as  $U = \begin{cases} 1 & W \geq 1 + 2a \\ \frac{W}{1 + 2a} & W < 1 + 2a \end{cases}$

For both stop-and-wait and sliding-window, the effective data rate (actually how many bits of data can be transmitted per second) can be calculated as  $R_e = R \times U$ , where  $R$  is the given nominal data rate.

For example, in this question, between node C and node B,  $R=150$  kbps.

① C → B, stop-and-wait

$$U_{CB} = \frac{1}{1 + 2a_{CB}}$$

$$a_{CB} = \frac{T_{prop}}{T_{frame}} = \frac{5 \times 10^{-6} \times 1000}{1000 / (150 \times 10^3)} = \frac{5 \times 10^{-3}}{\frac{1}{150}} = 0.75$$

$$U_{CB} = \frac{1}{1 + 2 \times 0.75} = 0.4$$

$$U_{CB} = 150 \times 10^3 \times 0.4 = 60,000 \text{ bps}$$

② B → A, sliding window,  $w=3$ , assume  $w < 1 + 2a_{BA}$

$$U_{BA} = \frac{w}{1 + 2a_{BA}}$$

assume the nominal bit rate between B and A is  $x$  bps

$$a_{BA} = \frac{T_{prop}}{T_{frame}} = \frac{5 \times 10^{-6} \times 4000}{1000/x} = 20 \times 10^{-6} x$$

$$U_{BA} = \frac{3}{1 + 2 \times 20 \times 10^{-6} \cdot x} = \frac{3}{1 + 40 \times 10^{-6} \cdot x}$$

$$U_{BA} = U_{CB} \cdot x = \frac{3x}{1 + 40 \times 10^{-6} x}$$

③  $U_{CB} = U_{BA}$

$$60,000 = \frac{3x}{1 + 40 \times 10^{-6} x}$$

$$3x = 60,000 + 2.4x$$

$$0.6x = 60,000$$

$$x = 100,000 \text{ bps} = 100 \text{ kbps}$$