

Question 1

a)

| | 25-44 | 45-64 | >64 | Total |
|--------------------|-------------|-------------|-------------|----------|
| High. Sch. or less | 0.19 | 0.25 | 0.16 | 0.60 |
| University or more | 0.25 | 0.09 | 0.06 | 0.40 |
| Total | 0.44 | 0.34 | 0.22 | 1 |

b) No. one outcome will affect another one. With the increasing of age, total number of educational-attainment people is less.

c) Yes, because they have no outcomes in common. The percentage of high-school or less people in category 45-64 are the highest.

d) $P = (0.25 + 0.09) / 0.40 = 0.85$

e) 0.09

f) $P = 1 - (0.22^5) = 0.9995$

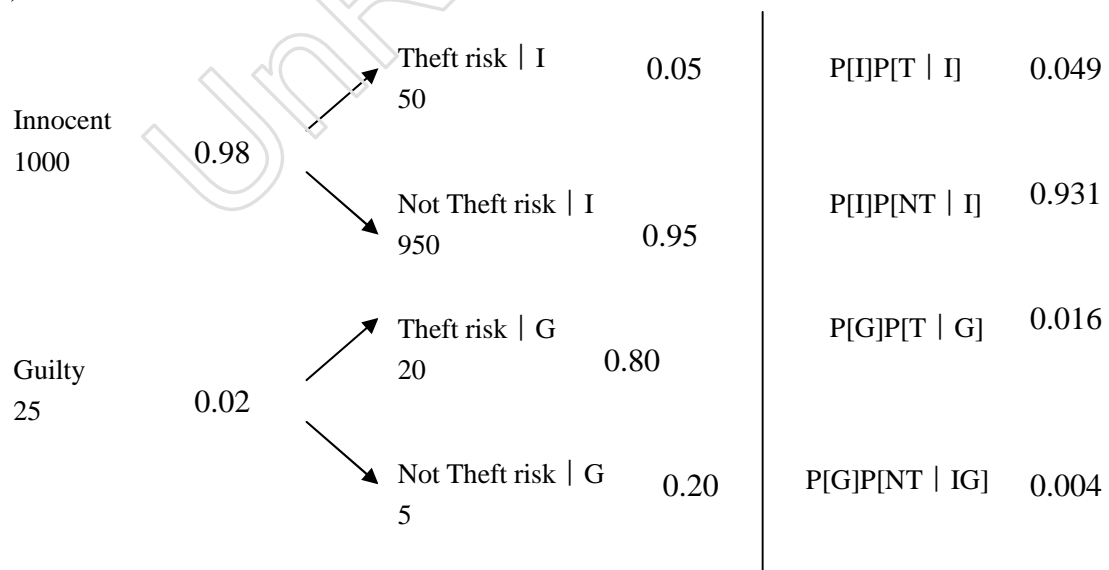
Question 2

a) $P = 50/1000 = 0.05$

b) $P = 20/25 = 0.8$

c) 70 is the total number that flagged by BC as “theft risk”. Just 20 of 70 are guilty people, another 50 are innocent people

d)



e) $P = P[I]P[T | I] + P[G]P[T | G] = 0.049 + 0.016 = 0.065$

f)

| | Theft risk | | total |
|----------|------------|-----|-------|
| | Y | N | |
| innocent | 50 | 950 | 1000 |
| guilty | 20 | 5 | 25 |
| total | 70 | 955 | 1025 |

g) $P = 50/70 = 0.714$

h) $P = 20/70 = 0.286$

i) A separate national survey reveals applicants only 1 out of every 250 will be “guilty”. So the probability that a person is labeled “theft risk” is actually guilty is $1/250 = 0.004$, but above data is 0.286; the probability that a person is labeled “theft risk” is actually innocent is $1 - 0.004 = 0.996$, but the above data is 0.714. There is more innocent person than guilty people.

UnRegistered